



Dsolve – Morphological Segmentation for German using Conditional Random Fields

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Outline

- Morphological analysis
- Existing approaches
- Morphological segmentation as sequence labeling
- Experiments
- Discussion & Outlook

Morphological analysis

Goal

- identification & classification of
 - ▶ operations
 - ▶ operands

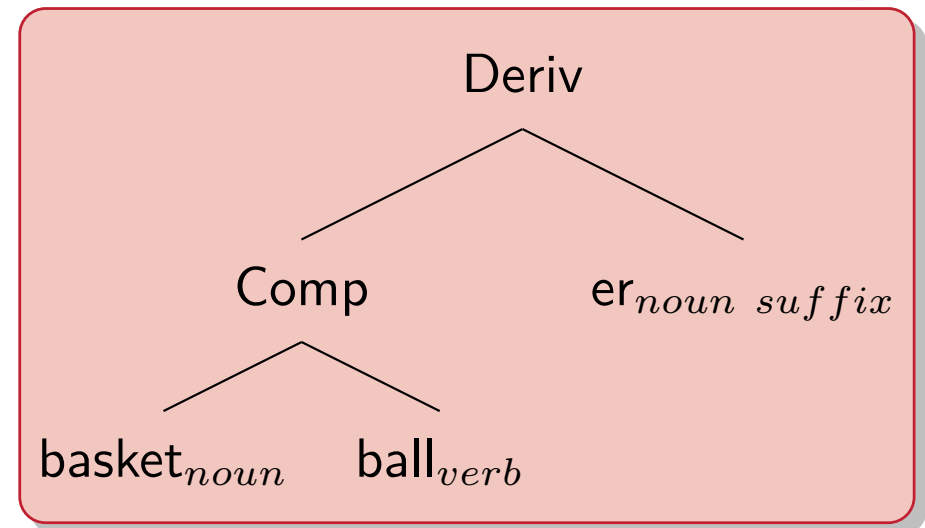
... forming complex words

Operations

- compounding
- derivation
- inflection

Operands

- morphemes (\rightsquigarrow *deep analysis*), or
- morphs (\rightsquigarrow *surface analysis*)



Morphological analysis: ambiguity

...w.r.t. *Identification*

- > 1 segmentation possible

Ministern

$[\text{mini}_{adj}][\text{Stern}_{noun}]$	$[\text{Minister}_{noun}][\text{n}_{dat. pl.}]$
'mini-star'	'ministers'

...w.r.t. *Classification*

- > 1 category available

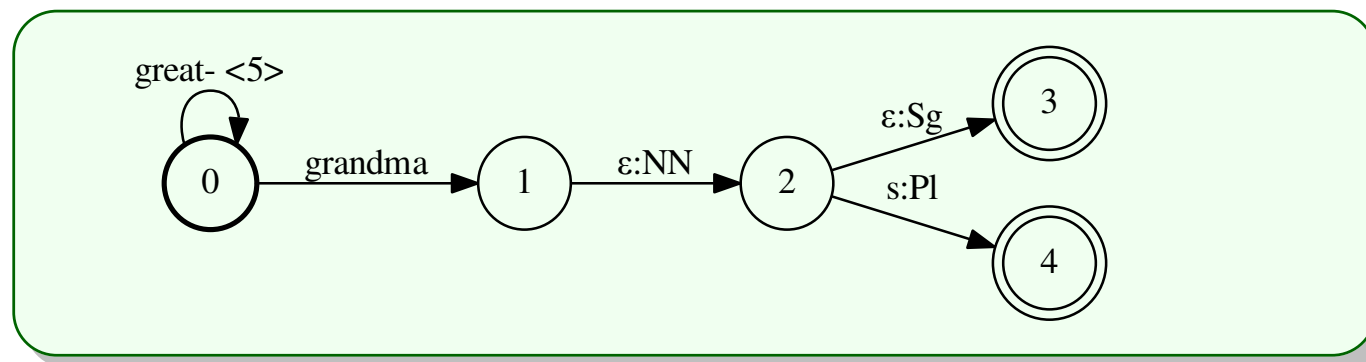
Sammelei

$[\text{sammel}_{verb}][\text{Ei}_{noun}]$	$[\text{sammel}_{verb}][\text{ei}_{noun suffix}]$
'collector's egg'	'compilation'



Existing approaches: finite-state methods

- Finite lexicon & regular rules using (weighted) finite-state transducers
(cf. Karttunen & Beesley, 2003)



- Tropical semiring weights as measure of complexity
 - ▶ word formation processes associated with non-negative costs
 - ▶ prefer minimal-cost (least complex) analyses
- German: e.g. SMOR, TAGH (Schmid et al. 2004; Geyken & Hanneforth 2005)

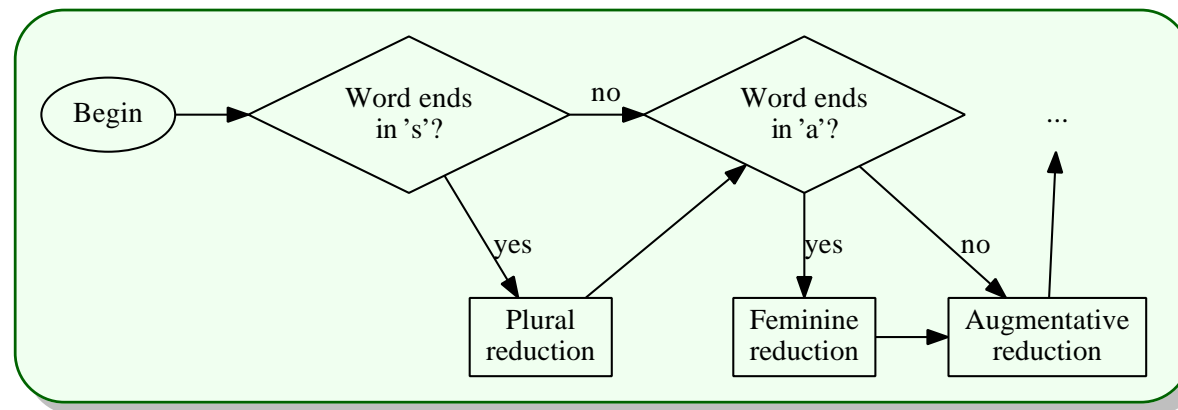


Existing approaches: affix removal

- Identify & remove bound morphemes (prefixes, suffixes)
 - ▶ assume remaining material is the stem
- Usually implemented as series of cascaded rewrite heuristics

(Porter 1980)

(Moreira & Huyck 2001)



- No (exhaustive) lexicon necessary
- Syllable (CV) structure supports affix removal
- Works best for non-compounding languages;
 - ▶ has also been applied to German

(Reichel & Weinhammer 2004)



Existing approaches: morphology induction

Basic Idea

- bootstrap segmentation model from **un-annotated raw text**
- traceable back to Harris' notion of "Successor Frequency"

$$\text{SF}(w, i) = \text{outDegree}(\text{ptaNode}(w_1 \cdots w_i))$$

- SF peaks indicate morpheme boundaries

Heuristic Approaches

(e.g. Goldsmith 2001)

- minimum stem length, maximum affix length, minimum # stems / suffix, ...
- tend to under-segment words (poor recall)

Stochastic Approaches

(e.g. Creutz & Lagus 2002, 2005)

- incremental greedy MDL segmentation \rightsquigarrow hierarchical model
- tend to over-segment words (poor precision)



Existing approaches: summary

	+rules	-rules
+lexicon	finite-state morphology	Dsolve
-lexicon	affix removal stemming	morphology induction



Existing approaches: summary

	+rules	-rules
+lexicon	finite-state morphology	Dsolve
-lexicon	affix removal stemming	morphology induction

- Lexicon- & grammar-creation \rightsquigarrow *very labor-intensive*
- Hard to debug, hard to maintain
- Efficient implementations available
- **Very good** analysis quality

Existing approaches: summary

	+rules	-rules
+lexicon	finite-state morphology	Dsolve
-lexicon	affix removal stemming	morphology induction

- Grammar creation requires much less manual effort than FSM
- Hard to debug, tricky to implement efficiently
- Ambiguity handling \rightsquigarrow difficult
- **Mediocre** analysis quality



Existing approaches: summary

	+rules	-rules
+lexicon	finite-state morphology	Dsolve
-lexicon	affix removal stemming	morphology induction

- Least labor-intensive (given an induction algorithm)
- No direct influence on resulting grammar (only via training-corpus selection)
- Inherent ranking of multiple available analyses
- **Insufficient** analysis quality (for production applications)

Segmentation ~ Labeling: binary classification

- Sequence classification

- ▶ Set of observation symbols O , set of classes C
- ▶ Map an observation $o = o_1 \dots o_n$ onto the most probable string of classes $c = c_1 \dots c_n$ using an underlying statistical model

- Observations O : surface character alphabet

(Klenk & Langer 1989)

- Classes $C = \{0, 1\}$ where

$$c_i = \begin{cases} 1 & \text{if } o_i \text{ is followed by a morph boundary} \\ 0 & \text{otherwise} \end{cases}$$

- Example *Ge.folg.s.leute.n* (“henchmen_[DATIVE]”)

G	e	f	o	l	g	s	l	e	u	t	e	n
0	1	0	0	0	1	1	0	0	0	0	1	0



Segmentation ~ Labeling: span-based classes

- Span-based annotation
- Observations O : surface character alphabet
- Classes $C = \{B, I, E, S\}$ where

(Ruokolainen et al. 2013)

$$c_i = \begin{cases} S & \text{if } o_i \text{ is preceded and followed by a morph boundary} \\ B & \text{otherwise, if } o_i \text{ is preceded by a morph boundary} \\ E & \text{otherwise, if } o_i \text{ is followed by a morph boundary} \\ I & \text{otherwise} \end{cases}$$

- Example $\langle Ge \rangle \langle folg \rangle \langle s \rangle \langle leute \rangle \langle n \rangle$ (“henchmen_[DATIVE]”)

G	e	f	o	l	g	s	l	e	u	t	e	n
<i>B</i>	<i>E</i>	<i>B</i>	<i>I</i>	<i>I</i>	<i>E</i>	<i>S</i>	<i>B</i>	<i>I</i>	<i>I</i>	<i>I</i>	<i>E</i>	<i>S</i>



Segmentation ~ Labeling: typed boundary classes

- Classification of morph boundaries
- Observations O : surface character alphabet
- Classes $C = \{+, \#, \sim, 0\}$ where

$$c_i = \begin{cases} + & \text{if } o_i \text{ is the final character of a prefix} \\ \# & \text{otherwise, if } o_i \text{ is the final character of a free morph} \\ \sim & \text{otherwise, if } o_{i+1} \text{ is the initial character of a suffix} \\ 0 & \text{otherwise} \end{cases}$$

- Example $Ge+folg\sim s\#leute\sim n$ (“henschmen_[DATIVE]”)

G	e	f	o	l	g	s	l	e	u	t	e	n
0	+	0	0	0	~	#	0	0	0	0	~	0



- **Surface** analysis of German words using sequence labeling
- **Type-sensitive** classification scheme
- Conditional Random Field model predicts boundary **location** and **type**
- Features for an input string $o = o_1 \dots o_n$ use only observable context:
 - ▶ each position i is assigned a feature function f_j^k for each substring of o of length $m = (k - j + 1) \leq N$ within a context window of $N - 1$ characters relative to position i
 - ▶ N is the *context window size* or “order” of the Dsolve model (\neq CRF order)

$$f_j^k(o, i) = o_{i+j} \cdots o_{i+k} \text{ for } -N < j \leq k < N$$

- Trained on modest set of manually annotated data



Experiments

Materials

- Manual annotation of 15,522 distinct German word-forms
 - ▶ types and locations of word-internal morph boundaries
- For reference: canoo.net, *Etymologisches Wörterbuch des Deutschen*

Boundary type	#/Boundaries	#/Words
prefix-stem (+)	4,078	3,315
stem-stem (#)	5,808	5,543
stem-suffix (~)	11,182	8,347
TOTAL	21,068	11,967

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<http://kaskade.dwds.de/gramophone/de-dlexdb.data.txt>

Experiments

Method

- Report inter-annotator agreement for a data subset
- Compare morph boundary **detection** of Dsolve CRF approach to
 - ▶ Morfessor FlatCat *(Grönroos et al. 2014)*
 - ▶ Span-based morph annotation *(Ruokolainen et al. 2013)*
- Compute results for morph boundary **classification**
- Test model orders $1 \leq N \leq 5$ using 10-fold cross validation
- Report **precision** (pr), **recall** (rc), **harmonic average** (F), and **word accuracy** (acc)

Implementation

- wapiti for CRF training and application *(Lavergne et al. 2010)*

Experiments: evaluation measures

Given a finite set W of annotated words and a finite set of boundary classes C (with the non-boundary class $0 \in C$), we associate with each word $w = w_1 w_2 \dots w_m \in W$ two partial boundary-placement functions

$$B_{\text{relevant},w} : \mathbb{N} \rightarrow C \setminus \{0\} : i \mapsto c :\Leftrightarrow c \text{ occurs at position } i \text{ in } w$$

$$B_{\text{retrieved},w} : \mathbb{N} \rightarrow C \setminus \{0\} : i \mapsto c :\Leftrightarrow c \text{ predicted at position } i \text{ in } w$$

and define

$$\textbf{Precision} \quad \text{pr} \quad := \quad \frac{|\text{relevant} \cap \text{retrieved}|}{|\text{retrieved}|}$$

$$\textbf{Recall} \quad \text{rc} \quad := \quad \frac{|\text{relevant} \cap \text{retrieved}|}{|\text{relevant}|}$$

$$\textbf{F-score} \quad \text{F} \quad := \quad \frac{2 \cdot \text{pr} \cdot \text{rc}}{\text{pr} + \text{rc}}$$

$$\textbf{Accuracy} \quad \text{acc} \quad := \quad \frac{|\{w \in W \mid B_{\text{retrieved},w} = B_{\text{relevant},w}\}|}{|W|}, \text{ where:}$$

$$\text{relevant} \quad := \quad \{(w, i, c) \mid (i \mapsto c) \in B_{\text{relevant},w}\}$$

$$\text{retrieved} \quad := \quad \{(w, i, c) \mid (i \mapsto c) \in B_{\text{retrieved},w}\}$$



Experiments: inter-annotator agreement

- Independent 2nd manual annotation of a data subset ($n = 1000$) by an expert
- Our own annotation serves as the “gold standard” (i.e. *relevant*)

Boundary Symbol	pr%	rc%	F%	acc%
+	92.05	97.20	94.56	n/a
#	96.01	93.28	94.63	n/a
~	93.28	92.66	92.97	n/a
TOTAL[+types]	93.74	93.74	93.74	87.40
TOTAL[-types]	96.20	96.20	96.20	87.40

- Reasonably high agreement with discrepancies particularly w.r.t.:
 - ▶ latinate word formation (e.g. *volunt(~)aristisch*, “voluntaristic”)
 - ▶ prefixion ↔ compounding (e.g. **weg+gehen* vs. *weg#gehen*, “to leave”)



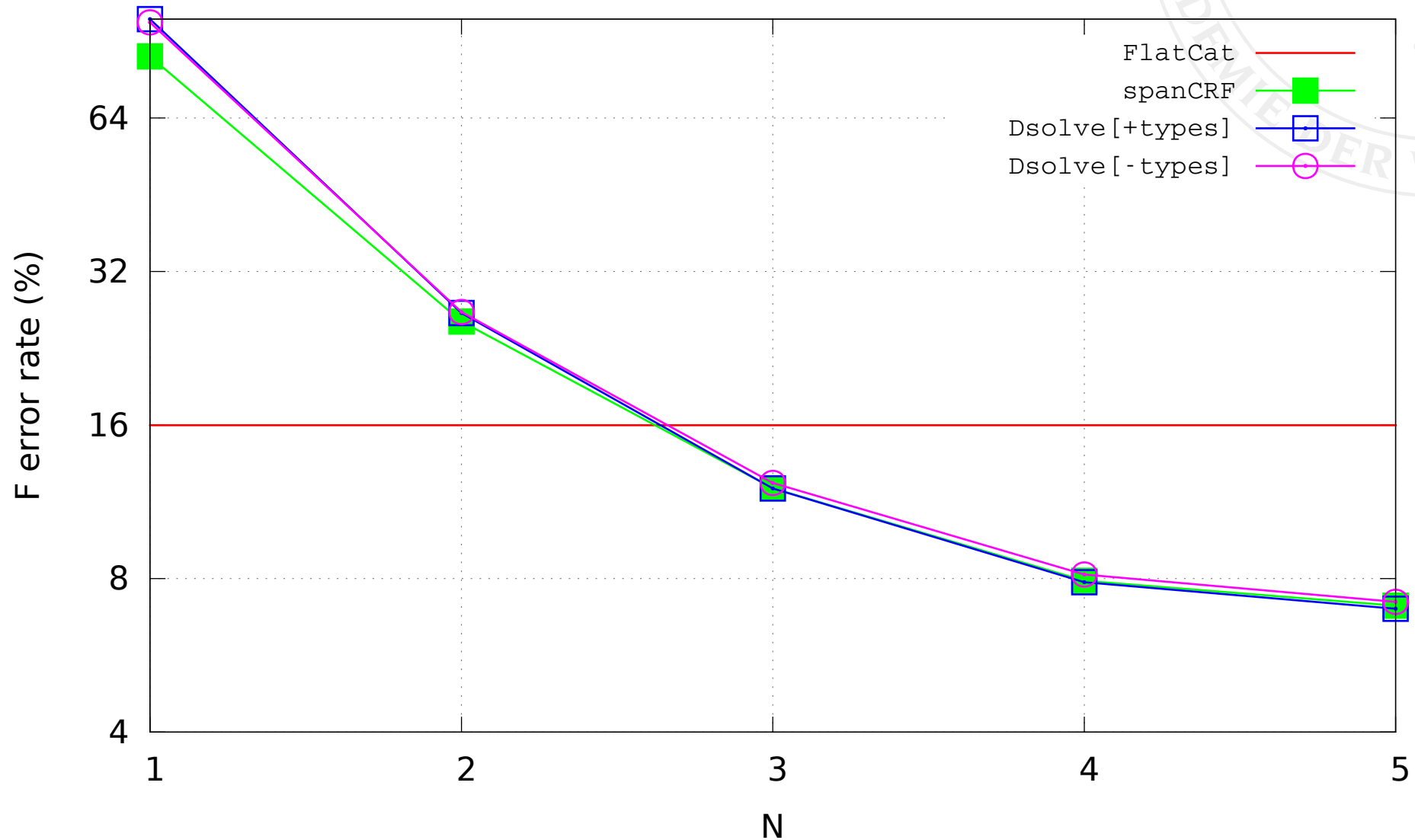
Experiments: boundary detection

Comparison of three different approaches (*retrieved*) with manual annotation as “gold standard” (i.e. *relevant*)

Method	Variant	N	pr%	rc%	F%	acc%
FlatCat	–	–	79.18	89.48	84.01	75.27
spanCRF	–	1	40.33	9.57	15.47	24.13
spanCRF	–	2	77.35	71.80	74.47	55.04
spanCRF	–	3	88.43	87.52	87.97	74.49
spanCRF	–	4	92.83	91.33	92.08	82.57
spanCRF	–	5	93.56	92.29	92.92	84.45
Dsolve	+types	1	36.36	0.02	0.04	22.84
Dsolve	+types	2	79.45	68.32	73.47	53.16
Dsolve	+types	3	89.36	86.64	87.98	74.35
Dsolve	+types	4	93.49	90.81	92.13	82.55
Dsolve	+types	5	94.46	91.63	93.02	84.36
Dsolve	–types	1	56.34	0.72	1.42	23.03
Dsolve	–types	2	77.53	69.61	73.36	52.94
Dsolve	–types	3	88.81	86.58	87.68	73.70
Dsolve	–types	4	92.93	90.78	91.85	81.92
Dsolve	–types	5	93.89	91.73	92.80	83.98

- CRF-based approaches outperform FlatCat
- Performance increases with context size (“lexicalization”)
- Dsolve[+types] with higher F-score than Dsolve[–types]

Boundary detection: results



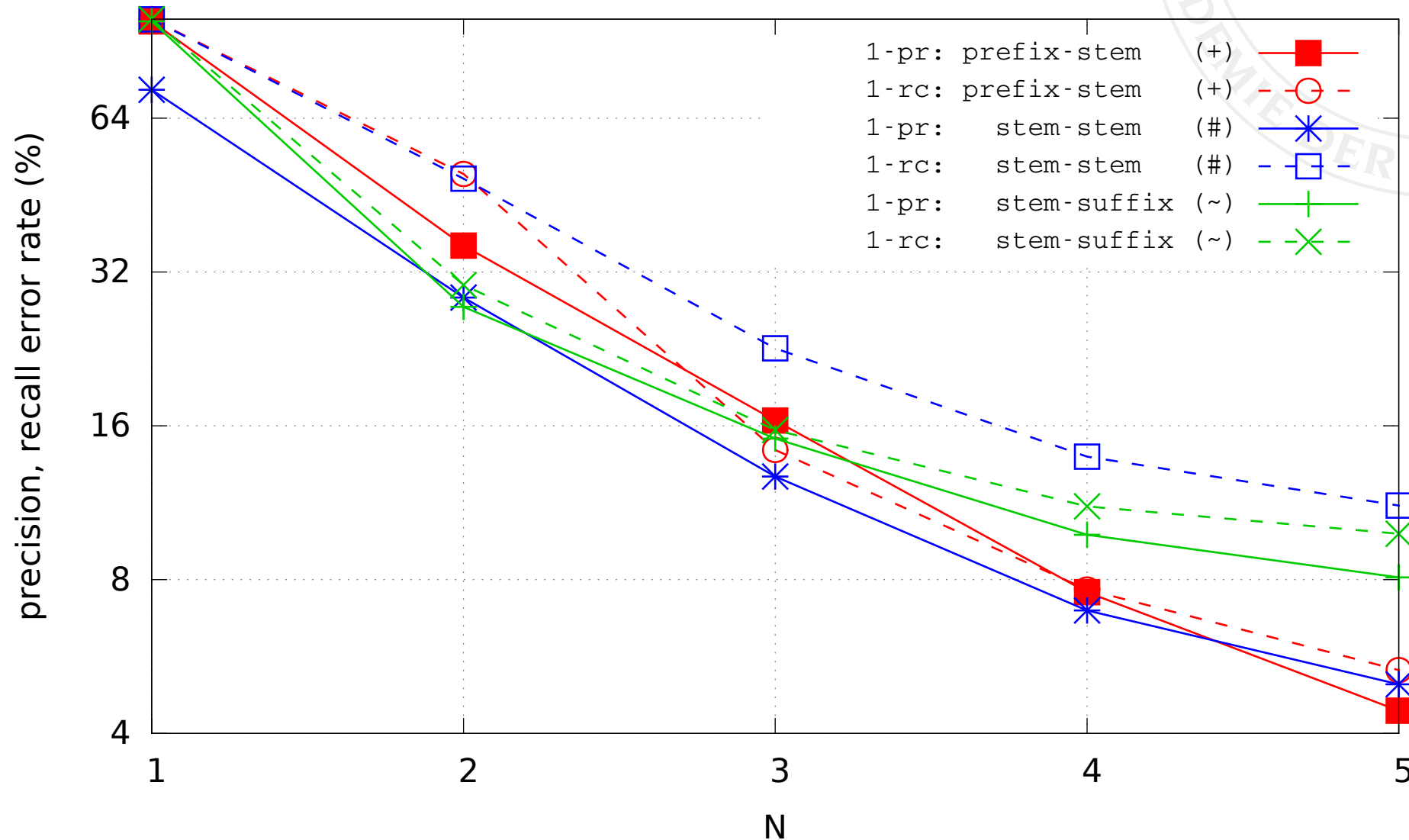
Experiments: boundary classification

Detailed results for Dsolve boundary classification by boundary type

N	Prefix-Stem (+)			Stem-Stem (#)			Stem-Suffix (~)		
	pr%	rc%	F%	pr%	rc%	F%	pr%	rc%	F%
1	–	0.00	–	27.27	0.05	0.10	–	0.00	–
2	63.97	50.25	56.28	71.47	51.27	59.71	72.65	69.83	71.21
3	83.62	85.65	84.63	87.27	77.31	81.99	84.89	84.31	84.60
4	92.44	92.35	92.39	93.04	86.07	89.42	90.21	88.87	89.54
5	95.57	94.68	95.12	95.01	88.83	91.81	91.92	90.16	91.03

- Highest F-score for detection of prefix boundaries (closed set of affixes)
- Suffix boundary detection suffers from high ambiguity of ‘e’
 - ▶ e.g. *Flieg~e* (“fly”) vs. *Löwe* (“lion”)
- Precision-oriented compound detection (again an indication for lexicalization)

Boundary classification: results



Summary & Outlook

What We Did (instead of summer holidays)

- CRF-based, supervised approach to morphological segmentation
- Classification of morph boundaries \rightsquigarrow performance increase
- Training materials freely available

What Now?

- Investigate influence of larger N & training corpus size
- Classification of morphs
- Morph-based classifier (vs. character-based variant presented here)
- Use as post-processor for a finite-state morphology
 - ▶ e.g. SMOR: good compound detection but many lexicalized affixes





The End

Thank you for listening!

